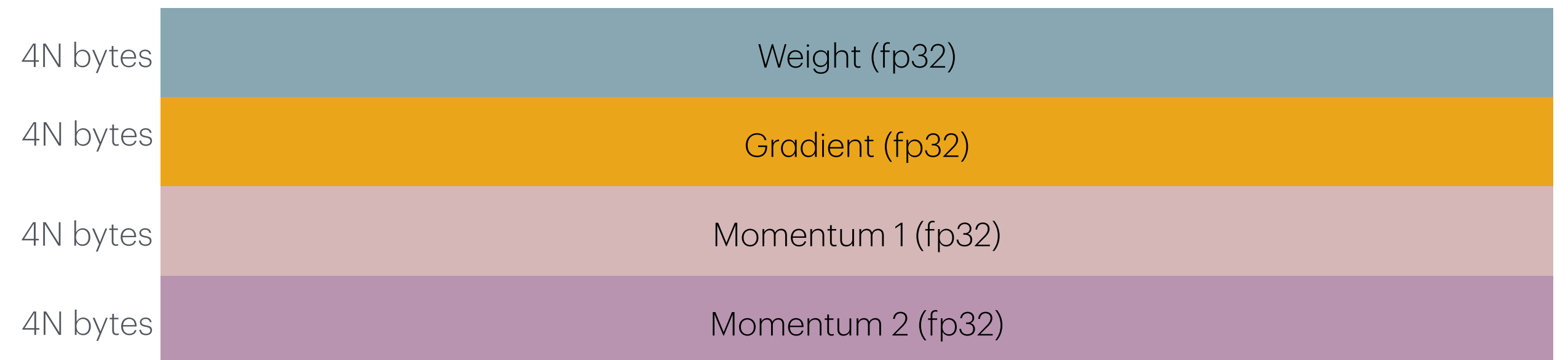


Low-rank adapters

Training large models

Memory requirements

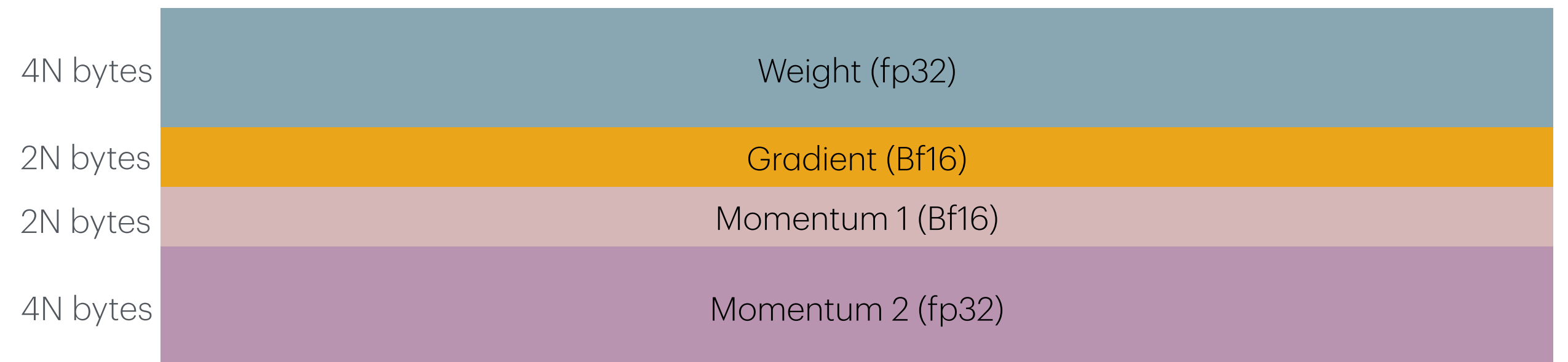
- Without optimization:
 - Model parameters: N
 - Weights: N floats
 - Gradients: N floats
 - Momentum: N floats
 - 2nd momentum (ADAM): N floats
- $16N$ bytes without counting activations



Training large models

Memory requirements

- Mixed precision
 - Model parameters: N
 - Weights: N floats
 - Gradients: N bfloat16
 - Momentum: N bfloat16
 - 2nd momentum (ADAM): N floats
- 12N bytes without counting activations



Training large models

Memory requirements

- Zero / FSDP
- $16N / M$ bytes without counting activations
- For M GPUs
 - Good solution for GPU-rich people

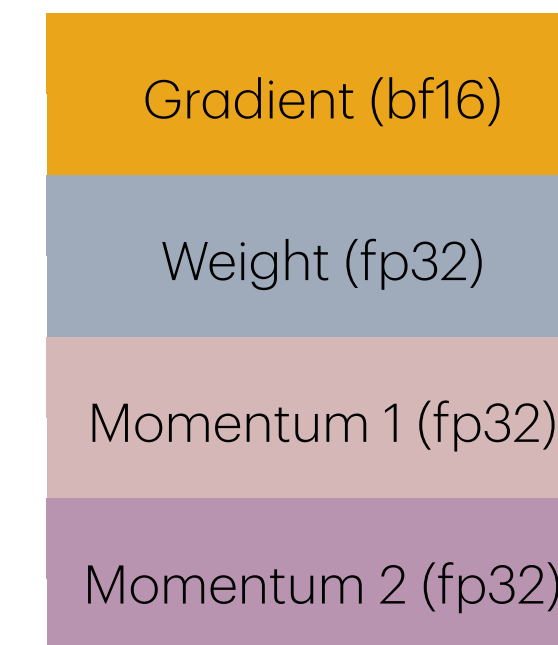
4N bytes

4N bytes

4N bytes

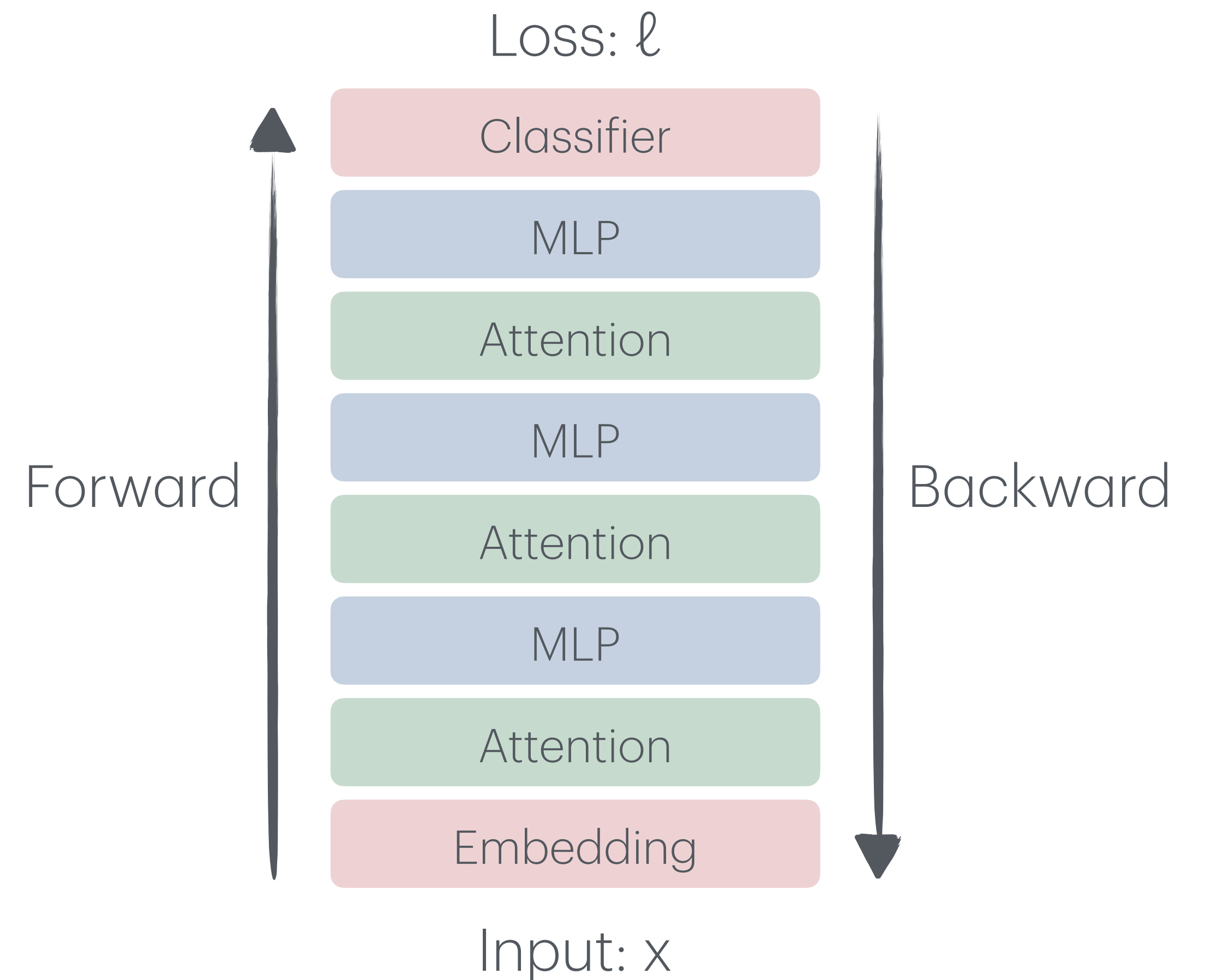
4N bytes

FSDP



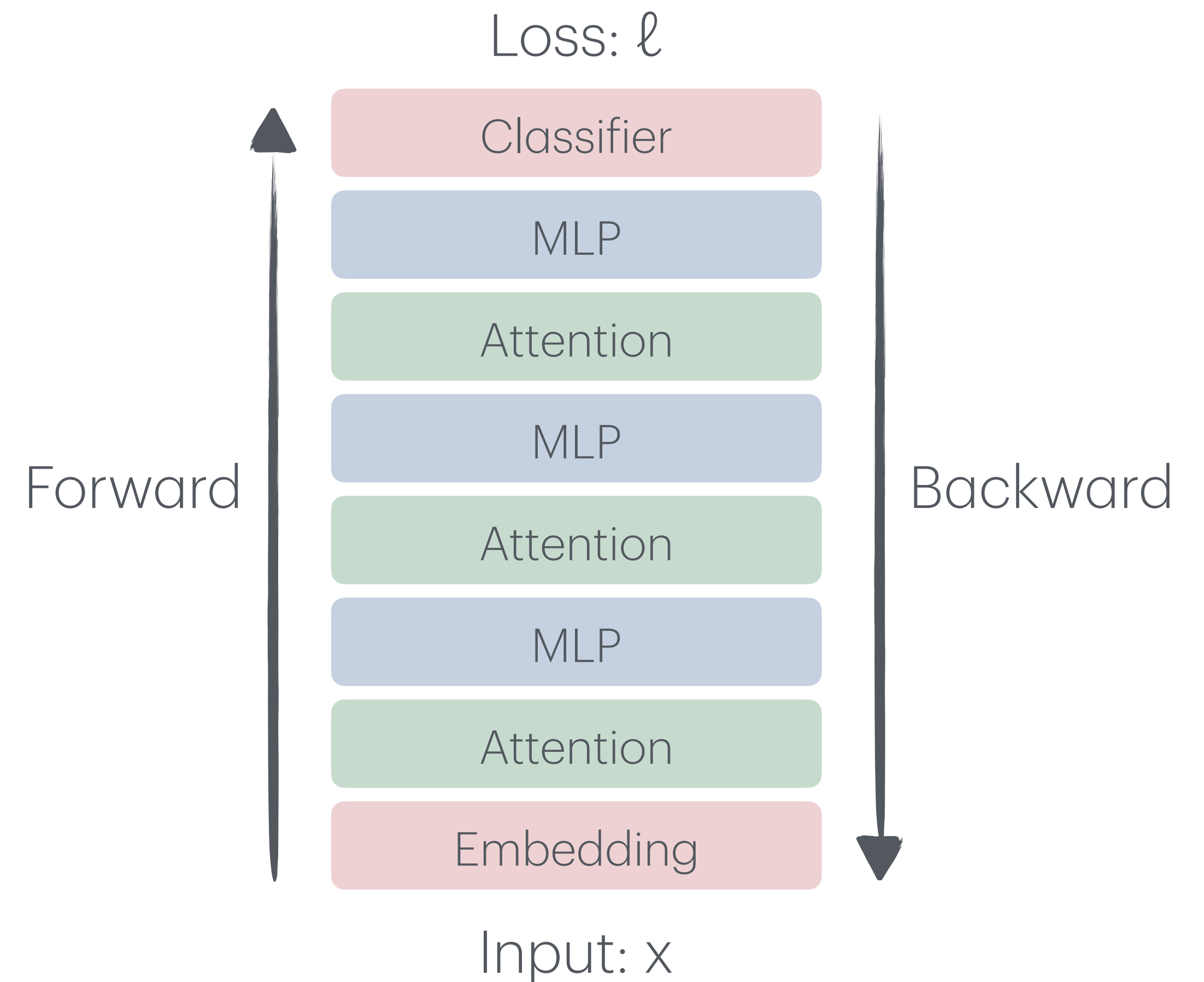
Memory Use

- What takes up GPU memory during training?
 - Model weights
 - Gradients
 - Momentum
 - Activations (more later in class)



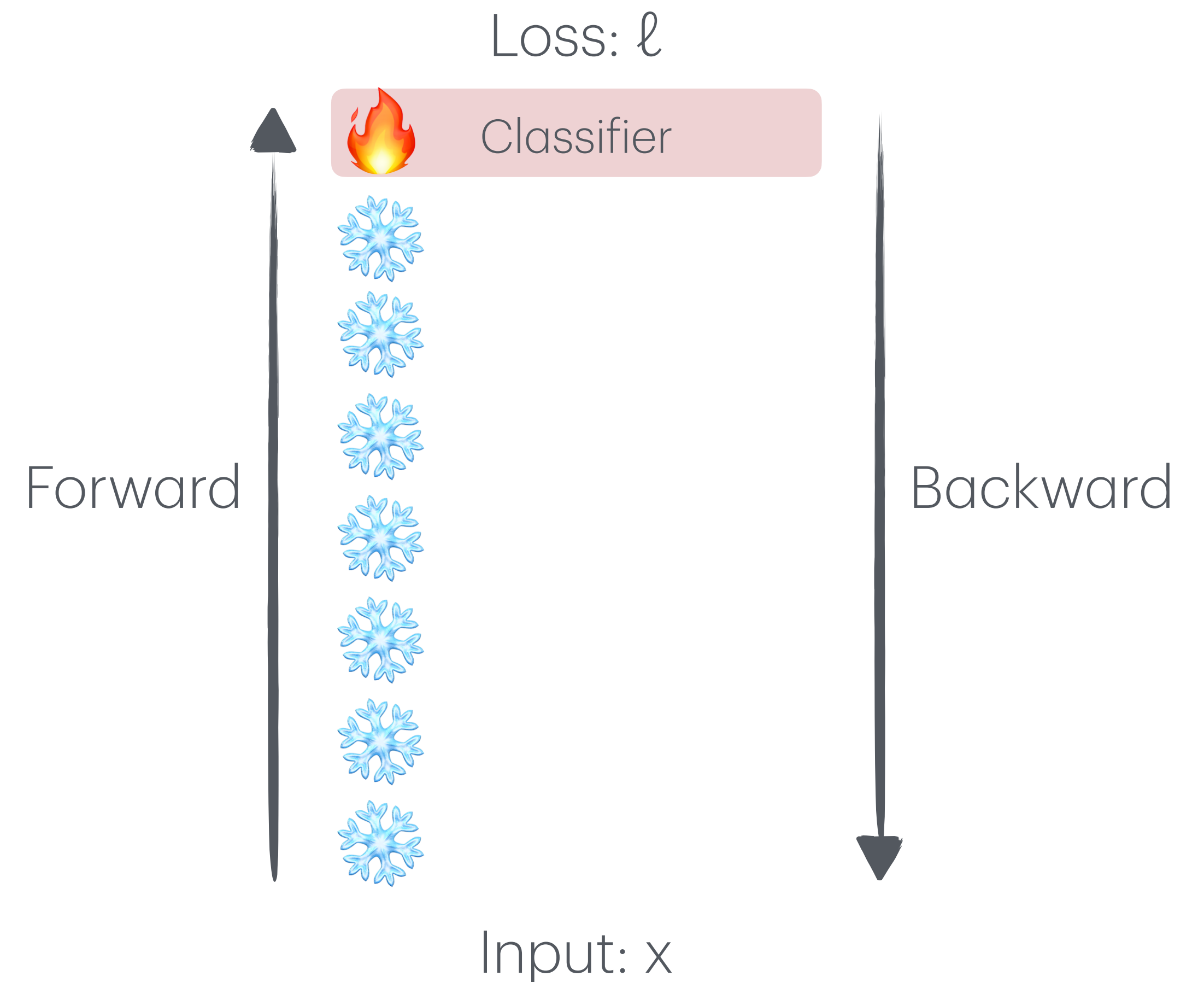
Reducing Memory Use

- Idea: Train fewer parameters
 - Keep most parameters frozen
 - No gradient, no momentum
 - Train a small subset
 - With gradient and momentum



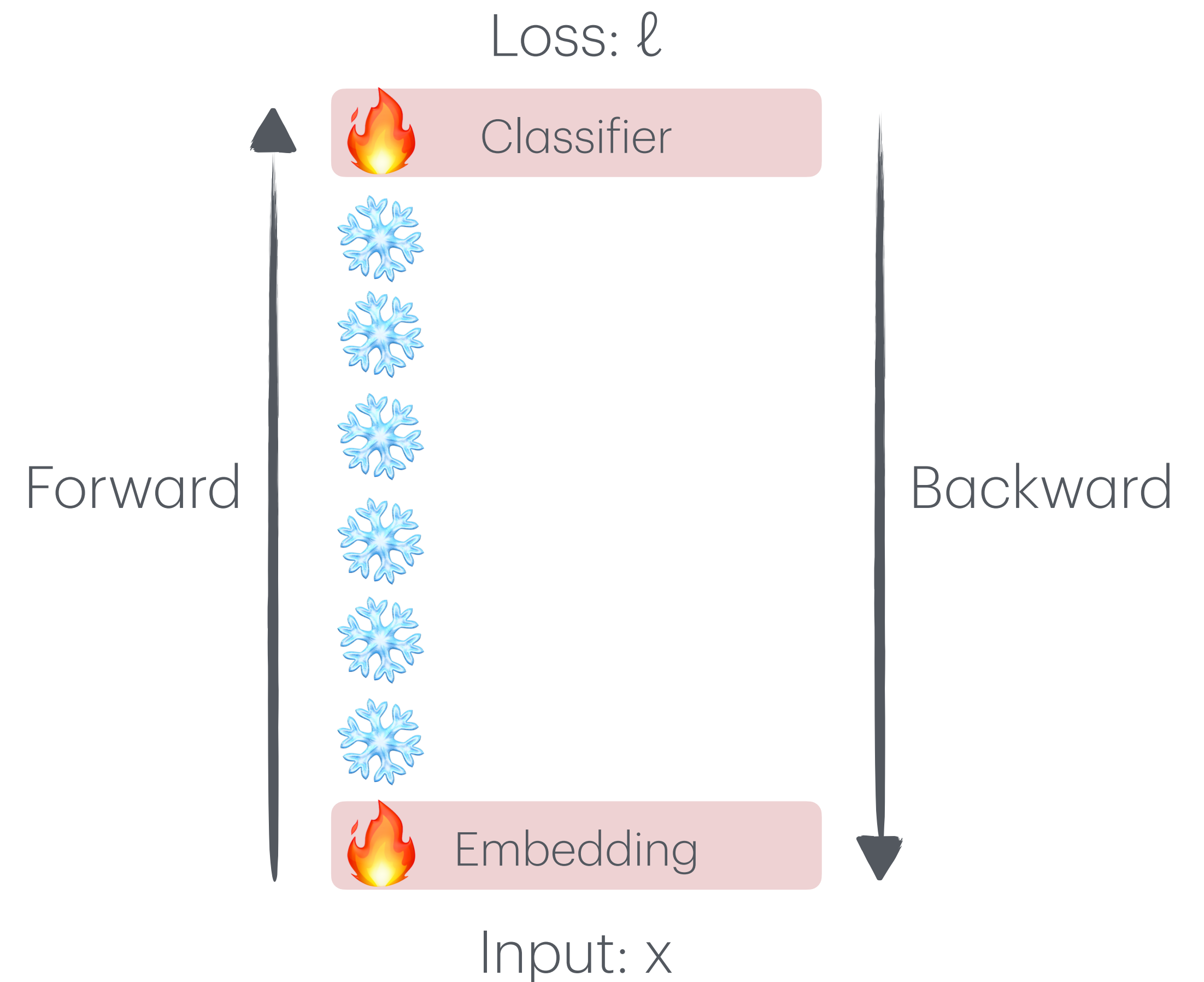
Fine-tuning classifier

- Freeze backbone
- Train classifier
- Most memory efficient
 - No backprop
 - Very few learnable parameters
- Not very expressive



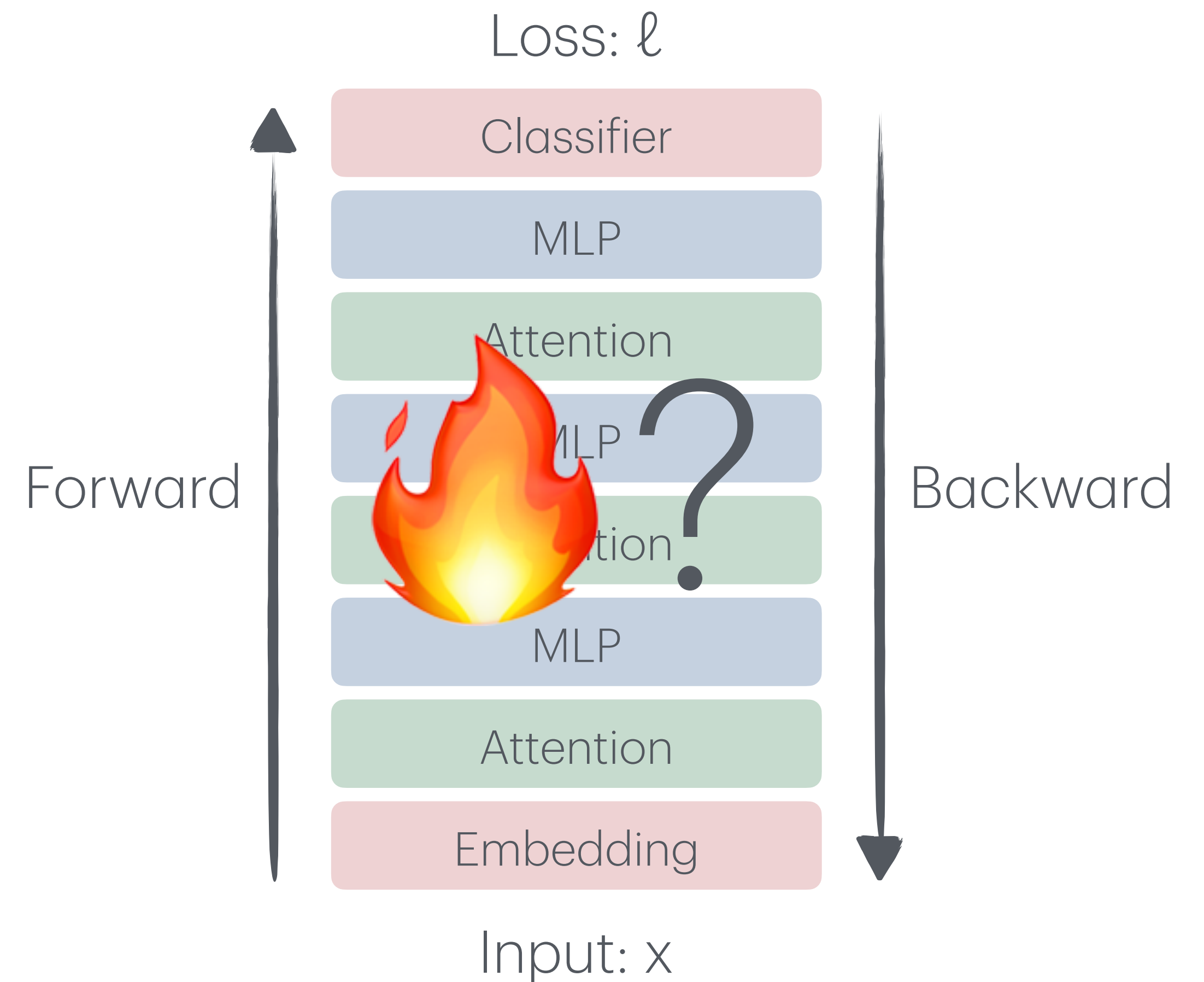
Input adapters

- Freeze backbone
- Train input embedding (maybe classifier)
- Fairly memory efficient
 - Very few learnable parameters
- Popular with LLMs
 - Soft-prompting
 - Adapters for new inputs



Intermediate layers

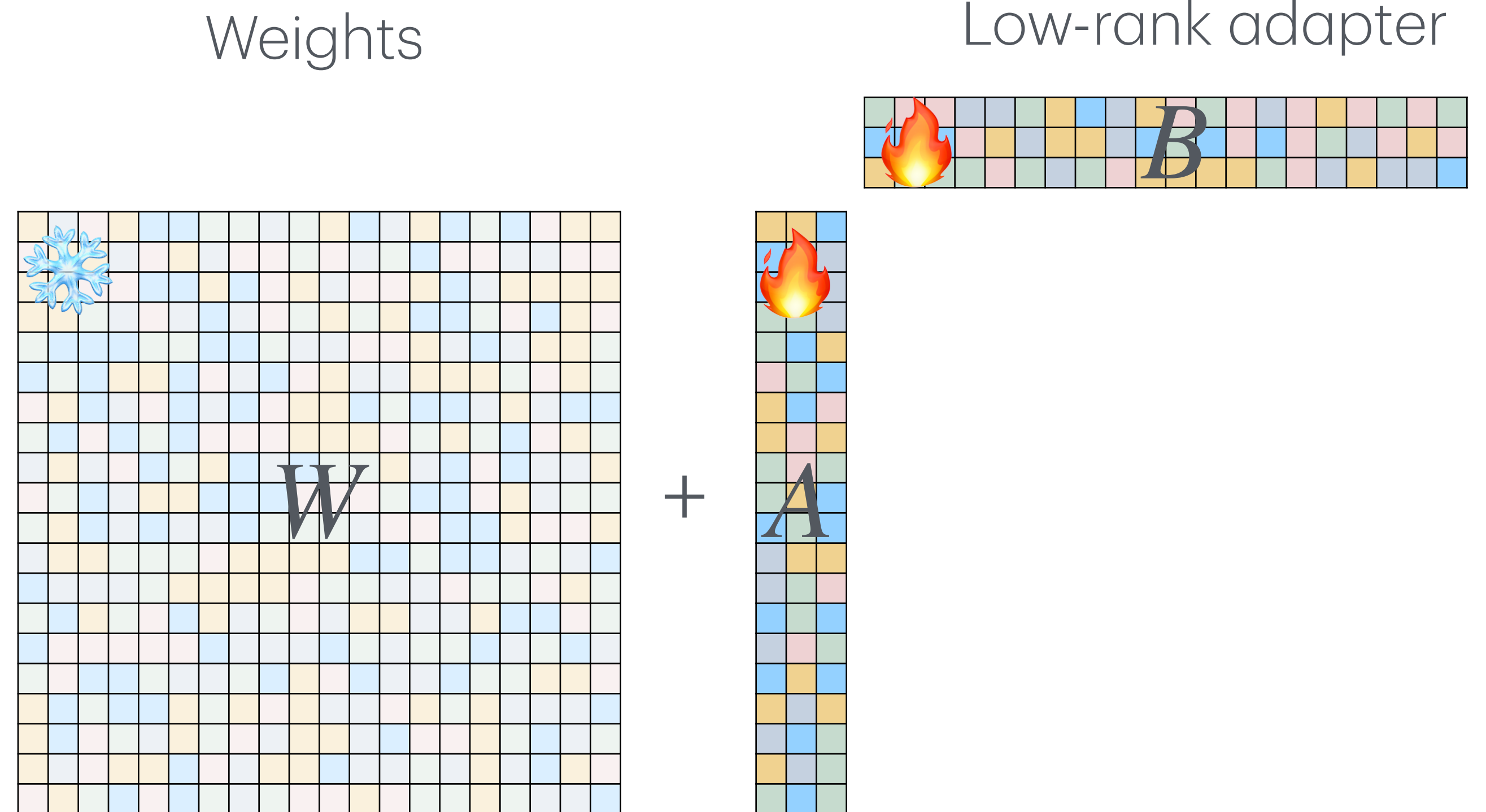
- Fine-tuning input and output does not change computation inside network significantly
- Cannot learn new “internal computation”
- Can we learn a subset of intermediate layer parameters?



Low Rank Adapters

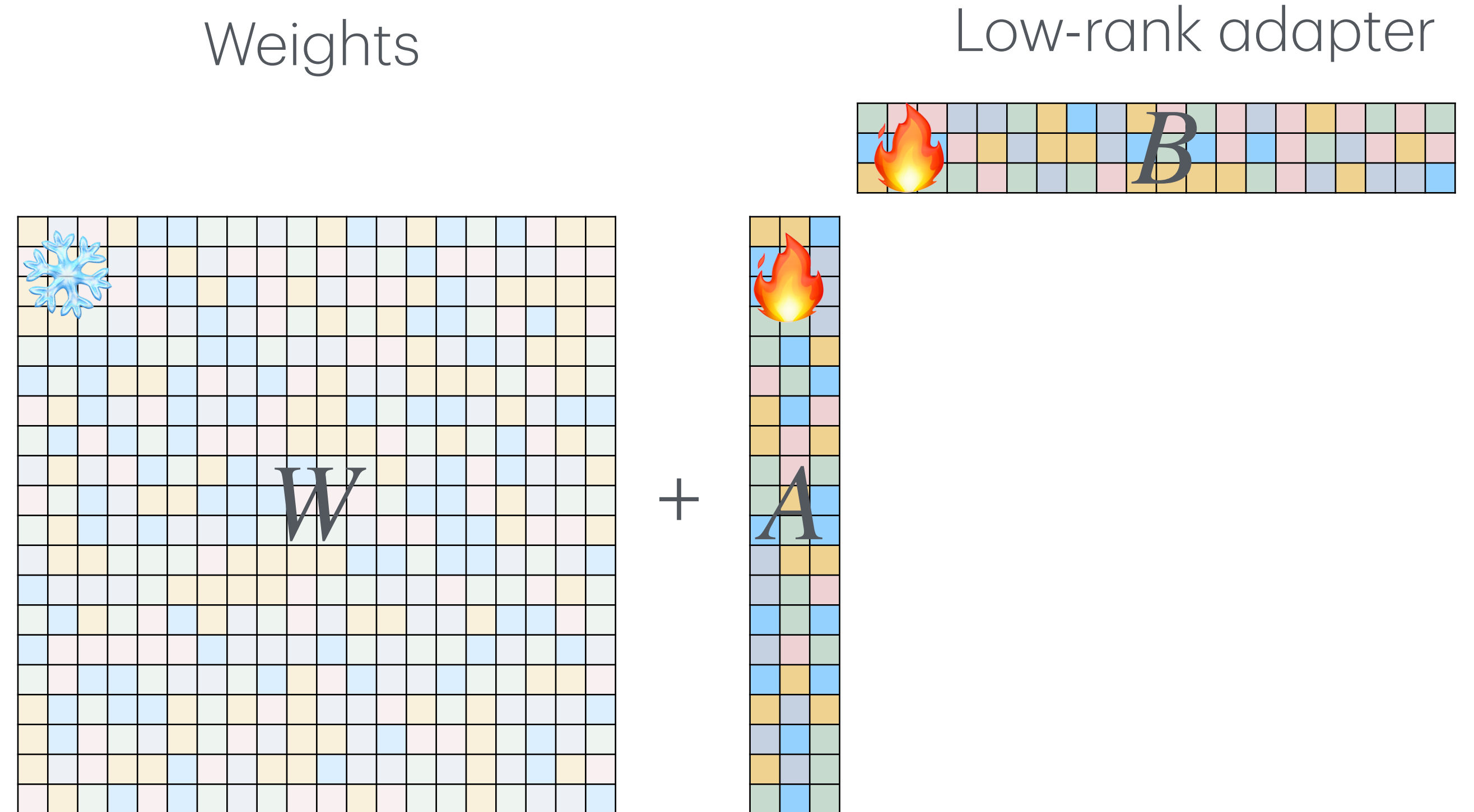
LoRA

- Keep weights $W \in \mathbb{R}^{N \times M}$ frozen
- Learn adapter AB
 - $A \in \mathbb{R}^{N \times R}, B \in \mathbb{R}^{R \times M}$
 - Rank $R \ll \min(M, N)$
- Total parameters: $R(N + M)$



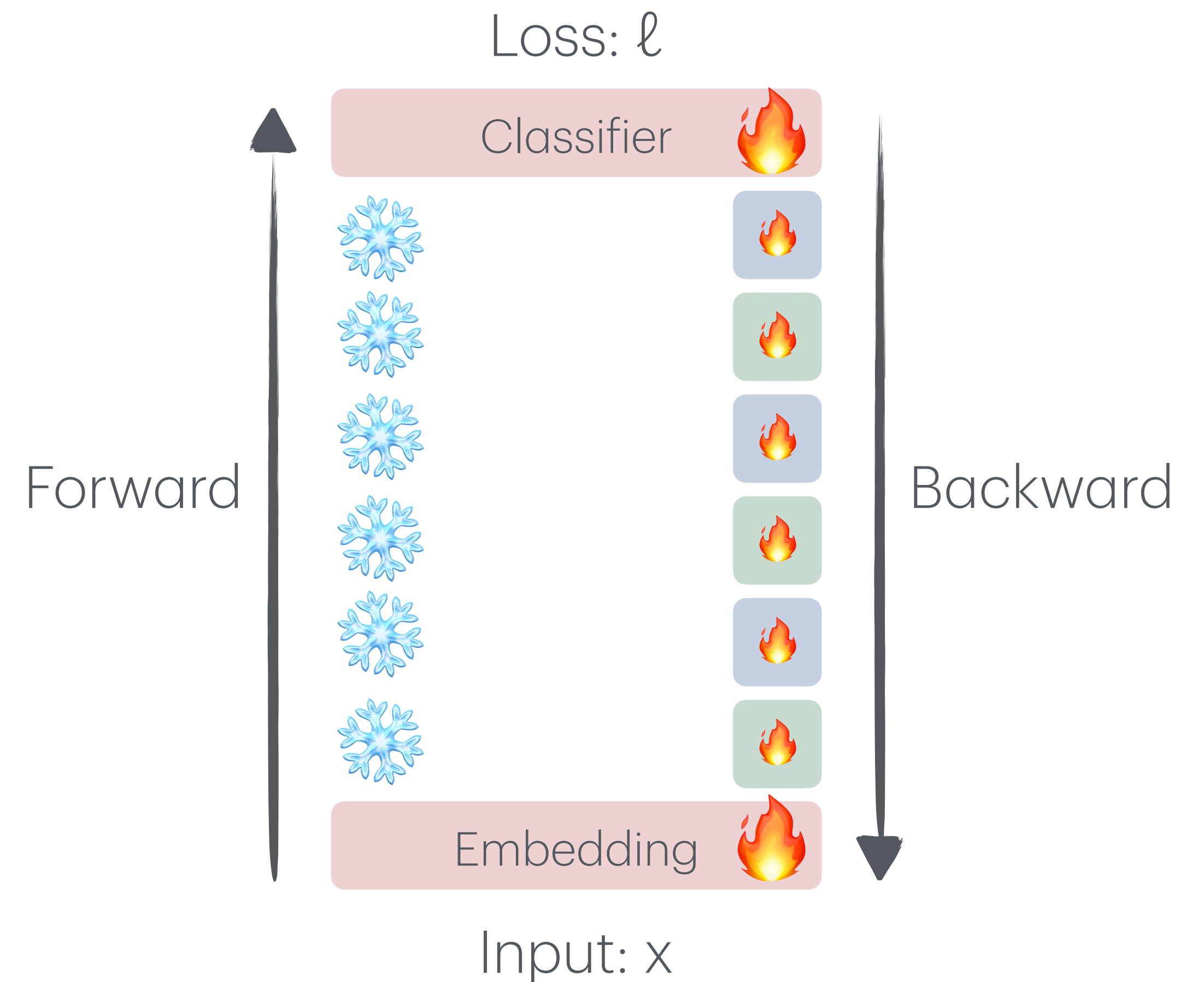
Low Rank Adapters

- How do we train W ?
 - We use a pre-trained model
- How do we initialize A and B ?
 - A small random (normal)
 - B zero



LoRA models

- Most weights frozen
- Train adapter for
 - All linear layers
 - Just MLPs
 - Just Attention
- Optionally train full input and output embedding



LoRA in practice

- Download weights of a pre-trained model
- Define LoRALinear layer

$$Wx + b \rightarrow Wx + b + \alpha \frac{AB}{R}x$$

- Rewrite model with LoRALinear layers
 - If careful, `load_state_dict` just works

```
class LoRALinear(nn.Linear):
    def __init__(self, in_features: int, out_features: int, rank: int,
                 alpha: float, bias: bool = True, device=None,
                 dtype=None):
        super().__init__(in_features, out_features, bias, device, dtype)

        self.lora_a = nn.Linear(in_features, rank, bias=False,
                                device=device, dtype=dtype)
        self.lora_b = nn.Linear(rank, out_features, bias=False,
                                device=device, dtype=dtype)
        self.alpha_div_rank = alpha / rank

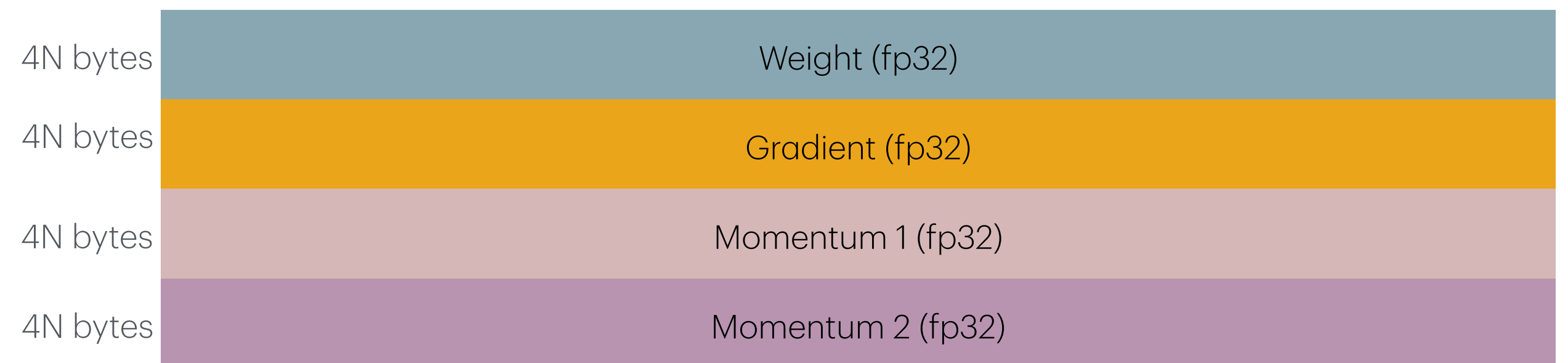
        nn.init.kaiming_uniform_(self.lora_a.weight)
        nn.init.zeros_(self.lora_b.weight)

    def forward(self, x: Tensor) -> Tensor:
        return super().forward(x) +
            self.alpha_div_rank / self.lora_b(self.lora_a(x))
```

Training large models

Memory requirements

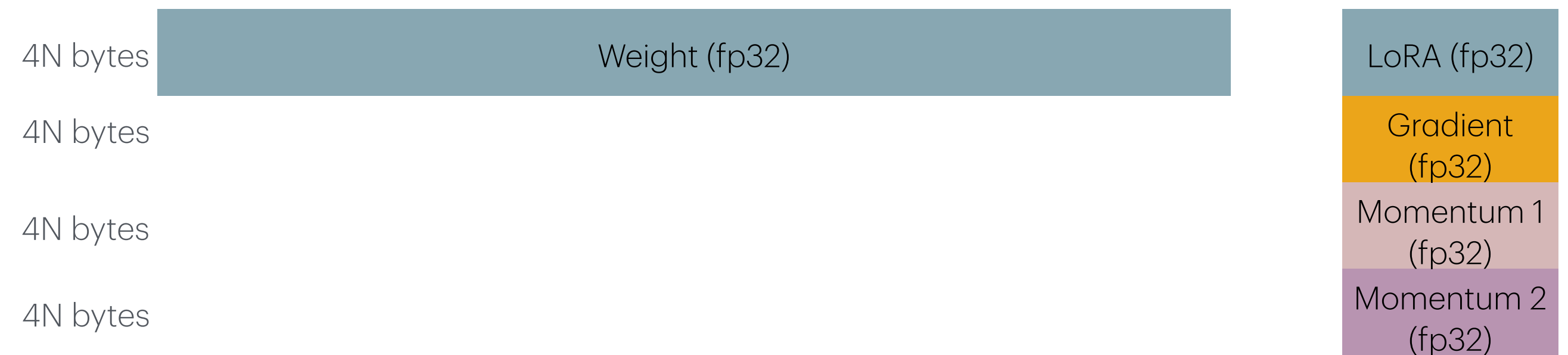
- Without optimization:
 - Model parameters: N
 - Weights: N floats
 - Gradients: N floats
 - Momentum: N floats
 - 2nd momentum (ADAM): N floats
- $16N$ bytes without counting activations



Training LoRA models

Memory requirements

- LoRA
 - Model parameters: N , LoRA param M
 - Weights: $N+M$ floats
 - Gradients: M floats
 - Momentum: M floats
 - 2nd momentum (ADAM): M floats
- $4N+16M$ bytes without activations
- M often $\sim 1-5\%$ of N



References

- [1] Edward J. Hu, et al. Lora: Low-rank adaptation of large language models. 2021 ([link](#))